

I. Consider: $\int_0^4 (x^2 + 2x + 1) dx$ (5 pts ea)

- Find an approximation using four right-hand rectangles ($n = 4$). Make a sketch of the function and rectangles.
- Find an approximation using the *fnint* feature of your calculator. (Write down what you entered.)
- Find the exact answer using the (FTIC) Fundamental Theorem of Integral Calculus.

II. Integrate the following: (8 pts ea)

4. $\int \left(6\sqrt{x} - \frac{1}{x^3} + 2 \right) dx$

5. $\int \left(5e^x + \frac{3}{x} - x \right) dx$

6. $\int \left(\frac{x}{3x^2 - 1} \right) dx$

7. $\int x(x - 5)^6 dx$

8. $\int x^2(\ln x) dx$

9. Use Table of Integrals #5. $\int \frac{u}{\sqrt{a + bu}} du = \frac{2}{3b^2}(bu - 2a)\sqrt{a + bu} + C$ to

find: $\int \frac{e^{2x}}{\sqrt{4 + 5e^x}} dx$

V. Average Value:

The price (P) of STAZCO Stock fluctuated continuously over an 8 hour period (time $t = 0$ to 8) according to the relation: $P = -0.24t^3 + 2.1t^2 + 12$

- What was the starting and ending price for the stock? (6 pts)
- What was the average price of the stock over that time period? (10 pts)

IV. Consumers' and Producers' Surplus:

The quantity demanded x (in units of a hundred) of a jacket per week is related to the unit price p (in dollars) by the equation: $p = -0.1x^2 - x + 40$

The quantity x (in units of a hundred) that the supplier is willing to make available in the market per week is related to the unit price: $p = 0.1x^2 + 2x + 20$

- Find the equilibrium price. (5 pts)
- If the market price is set at the equilibrium price, find the consumers' and producers' surplus. (10 pts)
- Make a sketch of the situation and discuss which group is "benefiting most" by setting the market price at equilibrium. (6 pts)